## Formulae

## Trapezoidal Rule

The approximate area under the curve $\mathrm{y}=\mathrm{f}(\mathrm{x})$ when $\mathrm{a} \leq \mathrm{x} \leq \mathrm{b}$ is given by:
$\int_{a}^{b} y d x=\frac{h}{2}\{$ Ist ordinate + last ordinate $+2($ sum of all other ordinates $)\}$
Here $\mathrm{h}=\frac{b-a}{n}$

| $\mathrm{a} \rightarrow$ | Lower limit of integral |
| :--- | :--- |
| $\mathrm{b} \rightarrow$ | Upper limit of integral |
| $\mathrm{n} \rightarrow$ | No. of intervals |

- Here: No. of ordinates are one more than the no. of intervals

OR
No. of intervals are one less than the no. of ordinates.

- Ordinate $\rightarrow$ value of $y$


## Simpson's Rule

The approximate area under the curve $y=f(x)$ when $a \leq x \leq b$ is given by:
$\int_{a}^{b} y d x=\frac{h}{3}\{($ Ist ordinate + last ordinate $)+2($ sum of all ordinates at odd no. $)+4$ (sum of ordinates at even no. $\left.)\right\}$

$$
\text { Here } \mathrm{h}=\frac{b-a}{n}
$$

| $a \rightarrow$ | Lower limit of integral |
| :--- | :--- |
| $b \rightarrow$ | Upper limit of integral |
| $n \rightarrow$ | No. of intervals |

- Here: No. of ordinates are one more than the no. of intervals

OR
No. of intervals are one less than the no. of ordinates.

- Ordinate $\rightarrow$ value of $y$

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